

# HLID: Histograms of Local Intensity Difference

D. S. Kim, M. Kim, B. S. Kim and K. H. Lee

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Speaker: Shih-Shinh Huang

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# Outline

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- Introduction
- Gradient Computation
- Block Description



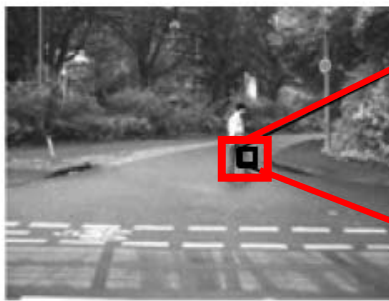
# Introduction

- Origin of HLID
  - Detecting pedestrians in images is an important topic in many applications.
  - Extracting effective features to describe pedestrian is critical in pedestrian detection.
  - HOG is a widely used texture feature in describing pedestrian appearance in visible images.

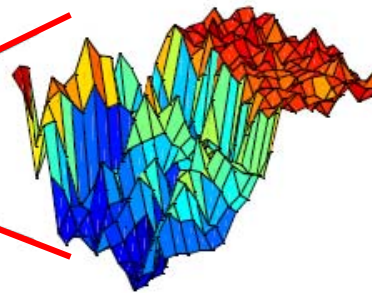


# Introduction

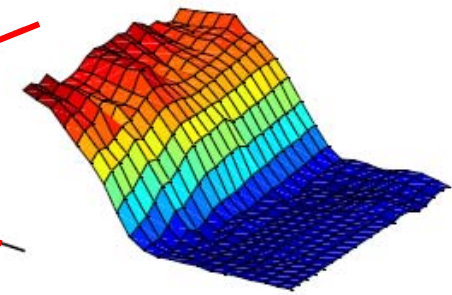
- Origin of HLID
  - HOG may be not suitable for far infrared (FIR) images
    - Temperature changes in pedestrian are not significant.
    - FIR images generally lack of texture information.



Visible Image

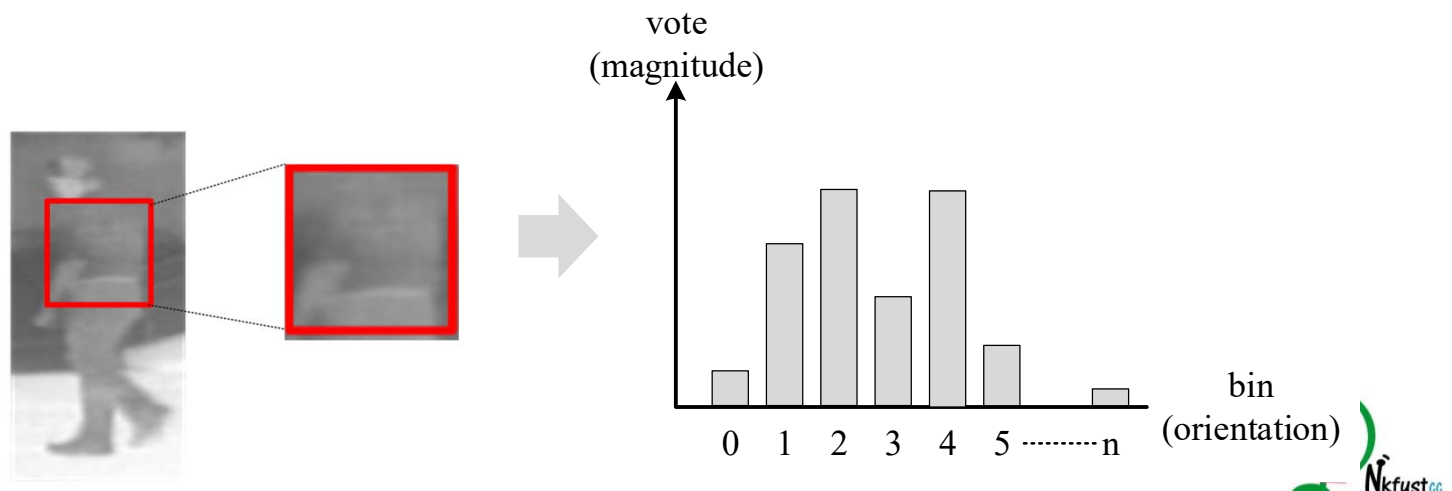


FIR Image



# Introduction

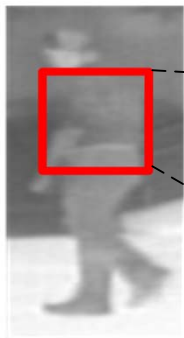
- HOG v.s. HLID
  - They are both features in describing the texture of a block in a form of histogram of oriented gradient.
  - They differ in the way in computing gradient **orientation** and **magnitude**.



# Gradient Computation

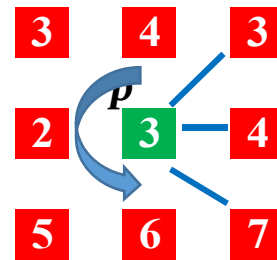
- Gradient Magnitude  $m(\cdot)$ 
  - **Definition:**  $m(p)$  is the maximum intensity difference of the point  $p$  and its 8 neighbors

$$m(p) = \max_{q \in N_8} |I(p) - I(q)|$$



$I(\cdot)$

|   |   |   |   |   |   |
|---|---|---|---|---|---|
| 4 | 2 | 1 | 3 | 4 | 5 |
| 3 | 2 | 3 | 4 | 3 | 2 |
| 2 | 1 | 2 | 3 | 4 | 2 |
| 1 | 2 | 5 | 6 | 7 | 2 |
| 6 | 3 | 4 | 6 | 7 | 1 |
| 3 | 1 | 5 | 2 | 1 | 3 |



$$m(p) = \max \{ |3-4|, |3-3|, \dots, |3-7| \}$$

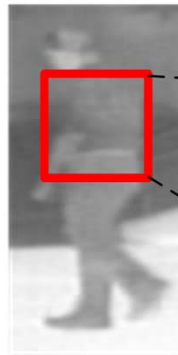
$$m(p) = \max \{1, 0, 1, 0, 1, 2, 3, 4\}$$

$$m(p) = 4$$

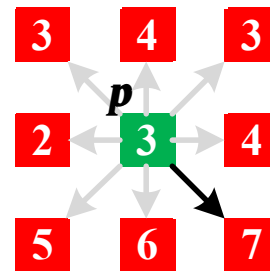
# Gradient Computation

- Gradient Orientation  $\theta(\cdot)$ 
  - **Definition:**  $\theta(p)$  is the direction of the point  $p$  to its neighbor with **maximal** intensity difference

$$\theta(p) = \arg \max_{q \in N_8} |I(p) - I(q)|$$



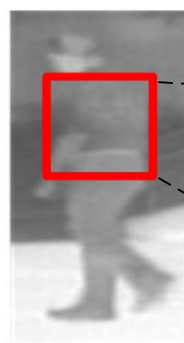
|   |   |   |   |   |   |
|---|---|---|---|---|---|
| 4 | 2 | 1 | 3 | 4 | 5 |
| 3 | 2 | 3 | 4 | 3 | 2 |
| 2 | 1 | 2 | 3 | 4 | 2 |
| 1 | 2 | 5 | 6 | 7 | 2 |
| 6 | 3 | 4 | 6 | 7 | 1 |
| 3 | 1 | 5 | 2 | 1 | 3 |



$$\theta(p) = \searrow$$

# Gradient Computation

- Example



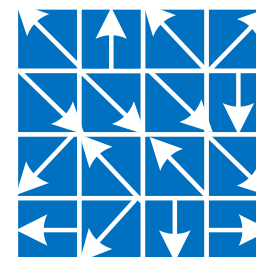
$I(.)$

|   |   |   |   |   |   |
|---|---|---|---|---|---|
| 4 | 2 | 1 | 3 | 4 | 5 |
| 3 | 2 | 3 | 4 | 3 | 2 |
| 2 | 1 | 2 | 3 | 4 | 2 |
| 1 | 2 | 5 | 6 | 7 | 2 |
| 6 | 3 | 4 | 6 | 7 | 1 |
| 3 | 1 | 5 | 2 | 1 | 3 |



$m(.)$

|   |   |   |   |
|---|---|---|---|
| 2 | 2 | 3 | 2 |
| 4 | 4 | 4 | 3 |
| 4 | 4 | 4 | 6 |
| 3 | 3 | 5 | 6 |

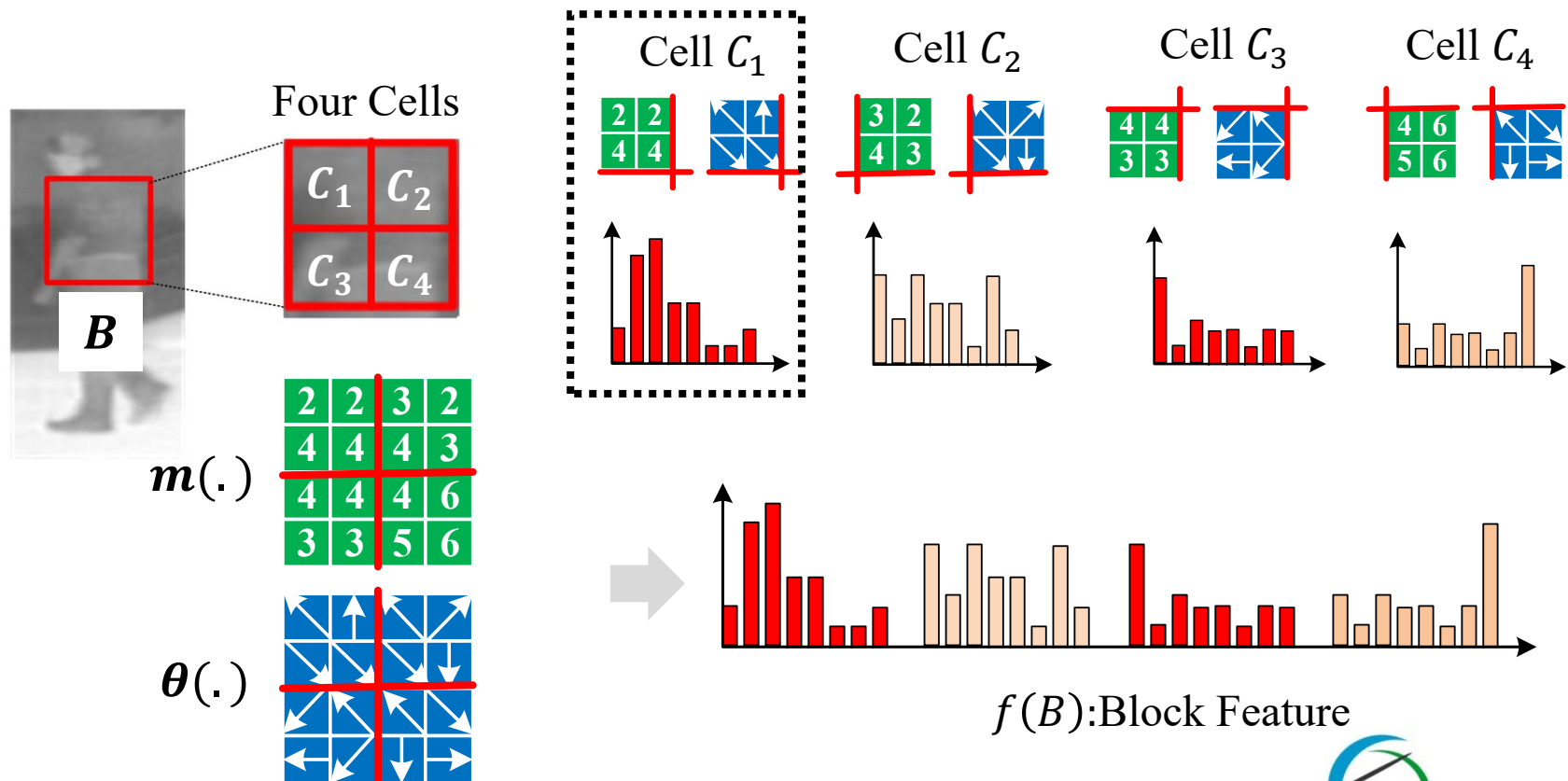


$\theta(.)$



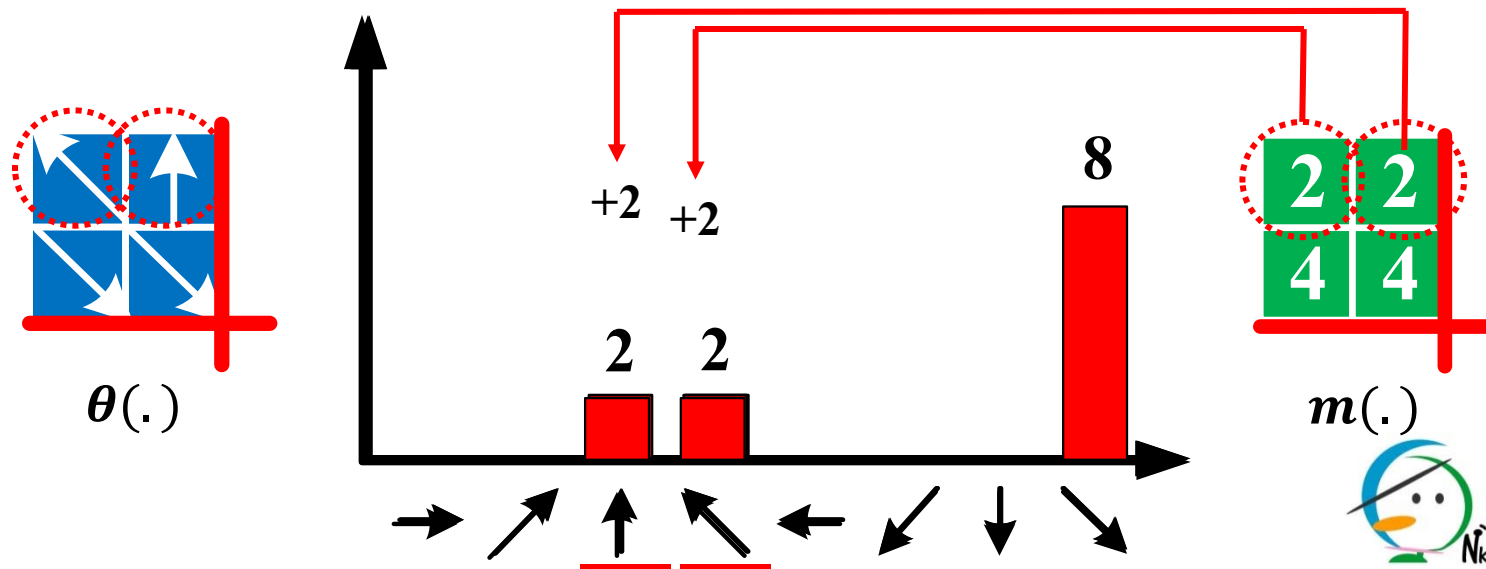
# Block Description

## • Overview



# Block Description

- Cell Description
  - Form a 8-D cell descriptor by voting mechanism
    - $\theta(.)$ : voting index
    - $m(.)$ : voting weight



# Block Description

- Concatenation and Normalization
  - concatenate the four 8-d feature vectors to form a 32-d block feature vector

$$f(B) = \{v_0, v_1, \dots, v_{31}\}$$

- normalize the block feature to unity

$$f(B) = \frac{1}{Z} \{v_0, v_1, \dots, v_{31}\}$$

Normalization Term

$$\text{L1-Norm: } Z = (|v_0| + |v_1| + \dots + |v_{31}|)$$

$$\text{L2-Norm: } Z = \left( \sqrt{(v_0)^2 + (v_1)^2 + \dots + (v_{31})^2} \right)$$

